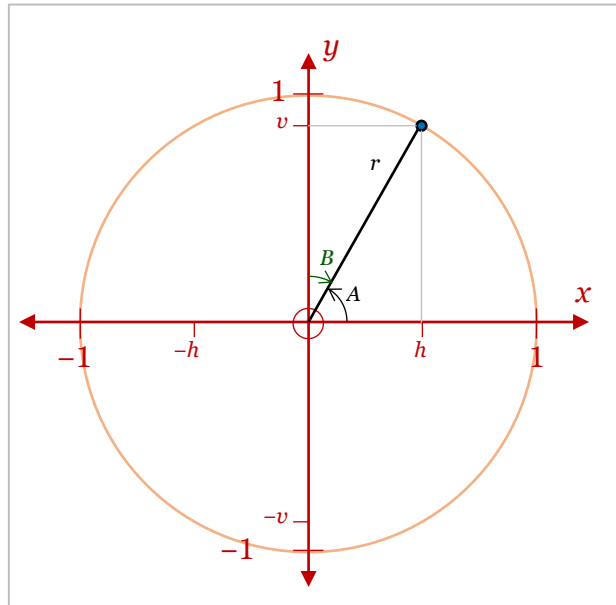


Trigonometric functions of angles in each quadrant

1. First quadrant



Functions of reference angle A :

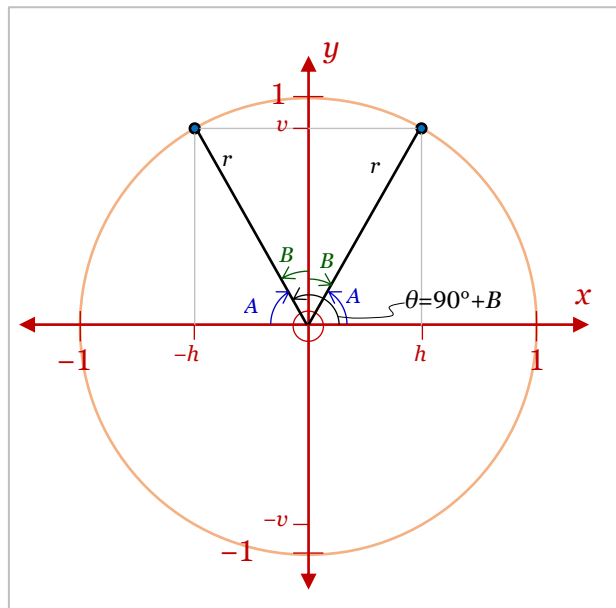
$\sin(A) = v/r$	$\cos(A) = h/r$	$\tan(A) = v/h$
$\operatorname{cosec}(A) = 1/\sin(A) = r/v$	$\sec(A) = 1/\cos(A) = r/h$	$\cot(A) = 1/\tan(A) = h/v$

Functions of complementary angle B :

$\sin(90^\circ - B) = \cos(B) = v/r$ $= \sin(A)$	$\cos(90^\circ - B) = \sin(B) = h/r$ $= \cos(A)$	$\tan(90^\circ - B) = \cot(B) = v/h$ $= \tan(A)$
$\operatorname{cosec}(90^\circ - B) = \sec(B) = r/v$ $= \operatorname{cosec}(A)$	$\sec(90^\circ - B) = \operatorname{cosec}(B) = r/h$ $= \sec(A)$	$\cot(90^\circ - B) = \tan(B) = h/v$ $= \cot(A)$

Note: $A + B = 90^\circ$ by definition of complementary angles.

2. Second quadrant



Functions of reference angle A :

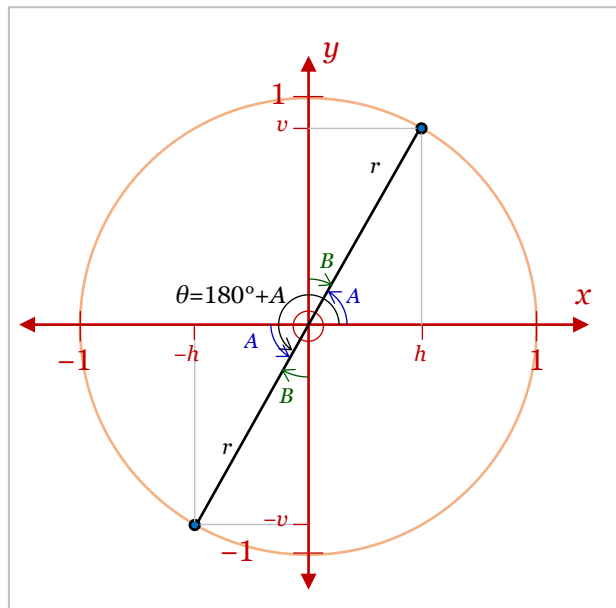
$\sin(180^\circ - A)$ $= \sin(A) = v/r$	$\cos(180^\circ - A)$ $= -\cos(A) = -h/r$	$\tan(180^\circ - A)$ $= -\tan(A) = -v/h$
$\operatorname{cosec}(180^\circ - A)$ $= 1/\sin(180^\circ - A)$ $= \operatorname{cosec}(A) = 1/\sin(A) = r/v$	$\sec(180^\circ - A)$ $= 1/\cos(180^\circ - A)$ $= -\sec(A) = -1/\cos(A) = -r/h$	$\cot(180^\circ - A)$ $= 1/\tan(180^\circ - A)$ $= -\cot(A) = -1/\tan(A) = -h/v$

Functions of complementary angle B :

$\sin(90^\circ + B)$ $= \cos(B) = v/r$ $= \sin(180^\circ - A)$	$\cos(90^\circ + B)$ $= -\sin(B) = -h/r$ $= \cos(180^\circ - A)$	$\tan(90^\circ + B)$ $= -\cot(B) = -v/h$ $= \tan(180^\circ - A)$
$\operatorname{cosec}(90^\circ + B)$ $= \sec(B) = r/v$ $= \operatorname{cosec}(180^\circ - A)$	$\sec(90^\circ + B)$ $= -\operatorname{cosec}(B) = -r/h$ $= \sec(180^\circ - A)$	$\cot(90^\circ + B)$ $= -\tan(B) = -h/v$ $= \cot(180^\circ - A)$

Note: $A + B = 90^\circ$, by definition of complementary angles.

3. Third quadrant



Functions of reference angle A :

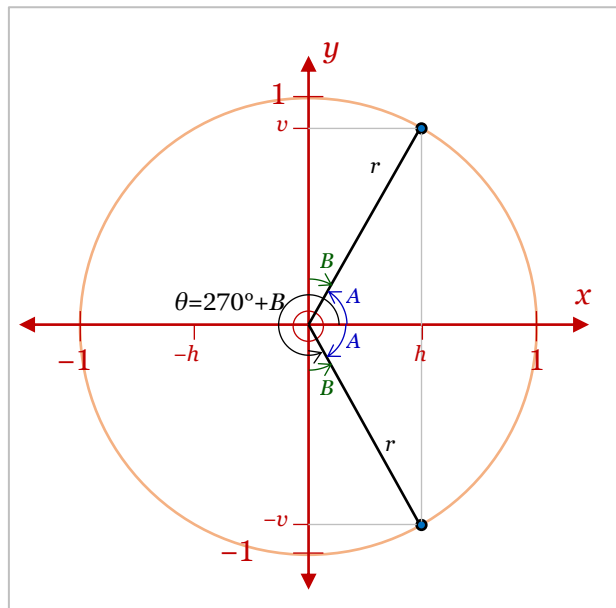
$\sin(180^\circ + A)$ $= -\sin(A) = -v/r$	$\cos(180^\circ + A)$ $= -\cos(A) = -h/r$	$\tan(180^\circ + A)$ $= \tan(A) = v/h$
$\operatorname{cosec}(180^\circ + A)$ $= 1/\sin(180^\circ - A)$ $= -\operatorname{cosec}(A) = -1/\sin(A) = -r/v$	$\sec(180^\circ + A)$ $= 1/\cos(180^\circ - A)$ $= -\sec(A) = -1/\cos(A) = -r/h$	$\cot(180^\circ + A)$ $= 1/\tan(180^\circ - A)$ $= \cot(A) = 1/\tan(A) = h/v$

Functions of complementary angle B :

$\sin(90^\circ + B)$ $= -\cos(B) = -v/r$ $= \sin(180^\circ - A)$	$\cos(90^\circ + B)$ $= -\sin(B) = -h/r$ $= \cos(180^\circ - A)$	$\tan(90^\circ + B)$ $= \cot(B) = v/h$ $= \tan(180^\circ - A)$
$\operatorname{cosec}(90^\circ + B)$ $= -\sec(B) = -r/v$ $= \operatorname{cosec}(180^\circ - A)$	$\sec(90^\circ + B)$ $= -\operatorname{cosec}(B) = -r/h$ $= \sec(180^\circ - A)$	$\cot(90^\circ + B)$ $= \tan(B) = h/v$ $= \cot(180^\circ - A)$

Note: $A + B = 90^\circ$, by definition of complementary angles.

4. Fourth quadrant



Functions of reference angle A :

$\sin(360^\circ - A)$ $= -\sin(A) = -v/r$	$\cos(360^\circ - A)$ $= \cos(A) = h/r$	$\tan(360^\circ - A)$ $= -\tan(A) = -v/h$
$\operatorname{cosec}(360^\circ - A)$ $= 1/\sin(360^\circ - A)$ $= -\operatorname{cosec}(A) = -1/\sin(A) = -r/v$	$\sec(360^\circ - A)$ $= 1/\cos(360^\circ - A)$ $= \sec(A) = 1/\cos(A) = r/h$	$\cot(360^\circ - A)$ $= 1/\tan(360^\circ - A)$ $= -\cot(A) = -1/\tan(A) = -h/v$

Functions of complementary angle B :

$\sin(270^\circ + B)$ $= -\cos(B) = -v/r$ $= \sin(360^\circ - A)$	$\cos(270^\circ + B)$ $= \sin(B) = h/r$ $= \cos(360^\circ - A)$	$\tan(270^\circ + B)$ $= -\cot(B) = -v/h$ $= \tan(360^\circ - A)$
$\operatorname{cosec}(270^\circ + B)$ $= -\sec(B) = -r/v$ $= \operatorname{cosec}(360^\circ - A)$	$\sec(270^\circ + B)$ $= \operatorname{cosec}(B) = r/h$ $= \sec(360^\circ - A)$	$\cot(270^\circ + B)$ $= -\tan(B) = -h/v$ $= \cot(360^\circ - A)$

Note: $A + B = 90^\circ$, by definition of complementary angles.